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Lecture 19  
Light and Blackbody Radiation  
January 8c, 2014

SIXTH EDITION

● **EXPLORATIONS**

**An Introduction to Astronomy**

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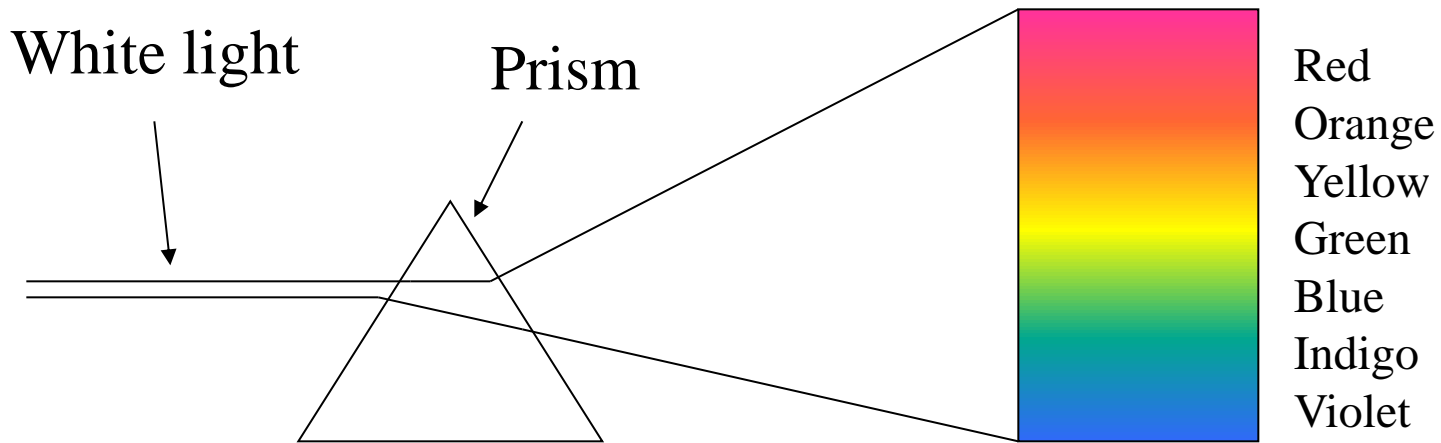
# Observing the Sky

- Almost everything we know about the universe comes from light.
- By understanding the nature of light we can get information about stars, planets and distant galaxies
  - distance
  - size
  - mass
  - motions (direct and rotational)
  - composition

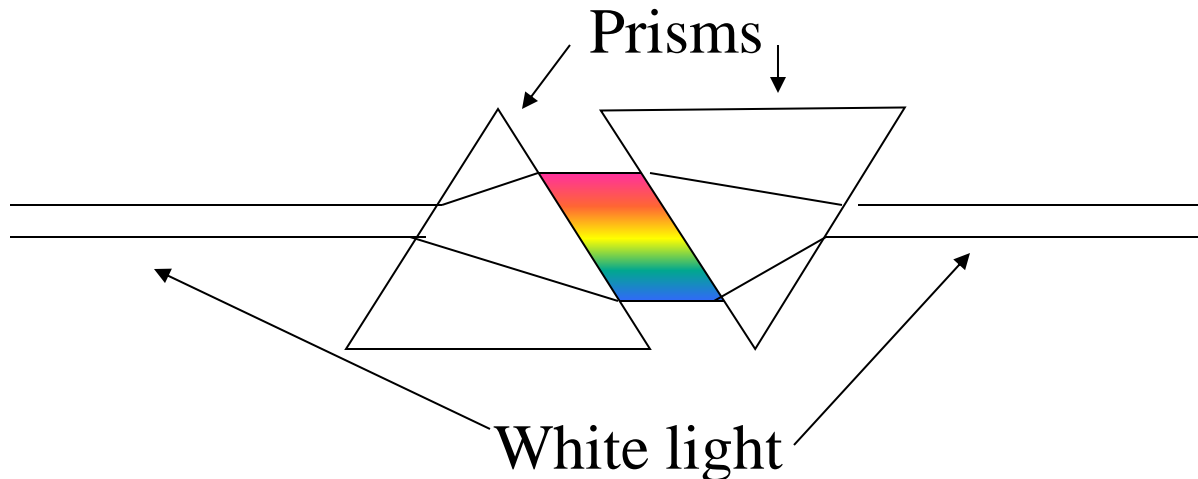
# Nature of Light

- Light = radiant energy = “radiation”
  - some light we can see (visible light)
  - mostly we cannot (UV, X-rays, radio, etc.)
- Newton was interested in the nature of light
  - Passed light through a prism
  - Light separated into separate colors

# Light is made of different colors

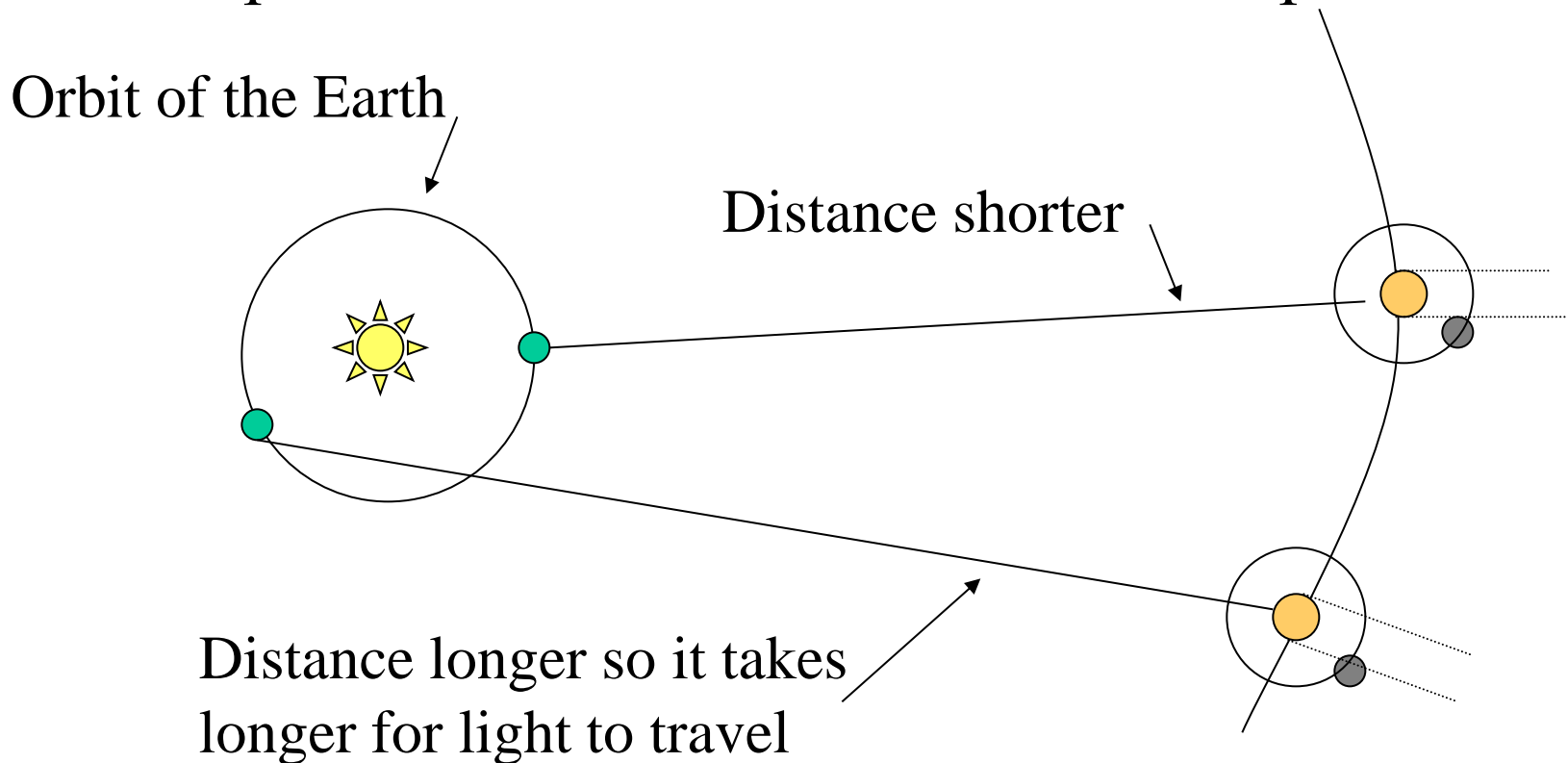


People thought colors came from the glass, but Newton showed that the light itself is made up of many colors.



# The Speed of Light

- 1675 -- Ole Roemer
  - Time when Jupiter eclipsed one of its moons did not always agree with that predicted by Kepler's laws.
  - It depended on the Earth's distance to Jupiter.



# The Speed of Light

- Speed of light,  $c = 300,000$  km/sec (186,000 mi/sec) {precisely known to be 299,792.458 km/s}
    - It takes 8 minutes for light to travel from the Sun to the Earth.
  - **Light-year** = distance light travels in a year  
=  $9.4605 \times 10^{12}$  km
- All information from outer space is *delayed* ...we see everything in the past!

If it takes one hour for light to travel from Saturn to Earth, how far apart are the two planets?

- A. 1.0 AU
- B. 3.6 AU
- C. 7.2 AU
- D. 14 AU

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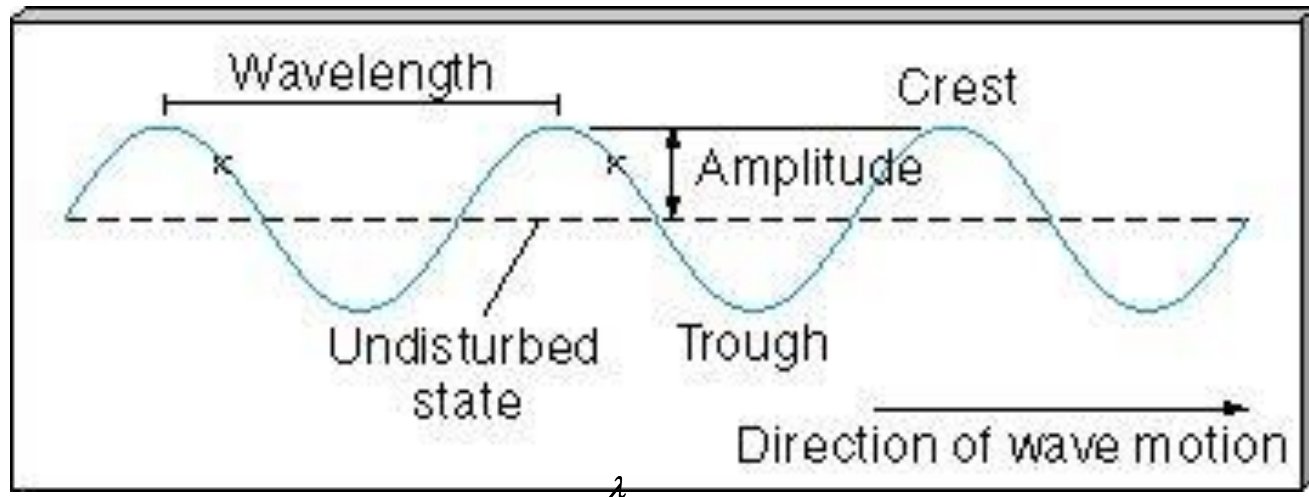
- A. 1.0 AU
- B. 3.6 AU
- C. 7.2 AU**
- D. 14 AU

$$d = ct = (3.00 \times 10^8 \text{ m/s})(3600 \text{ s})$$

$$= 1.08 \times 10^{12} \text{ m} \times \frac{1 \text{ AU}}{1.5 \times 10^{11} \text{ m}} = \boxed{7.2 \text{ AU}}$$



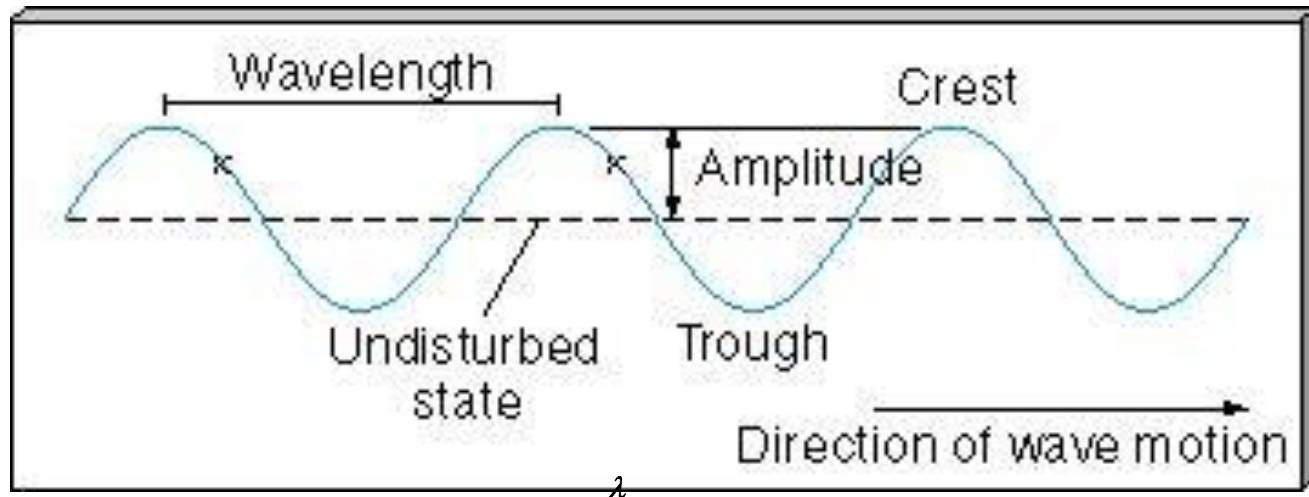
# Light as a Wave



- **Wavelength** ( $\lambda$ ) = distance from peak to peak (measured in meters)
- **Frequency** ( $f$ ) = number of peaks to pass a certain point (measured in Hertz = #/sec)

[Animation applet](#)

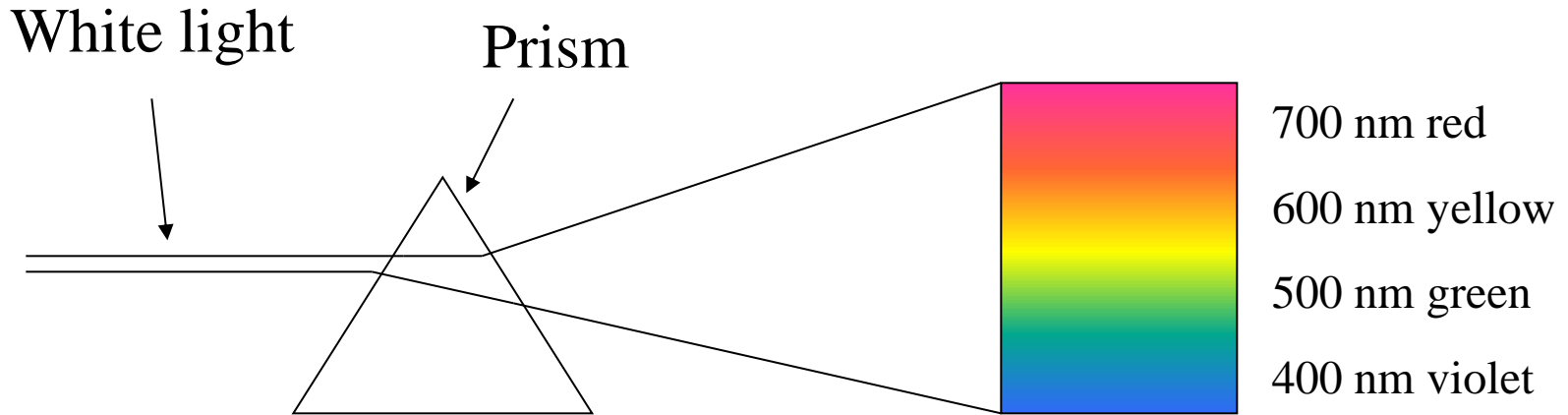
# Light as a Wave



$$c = f\lambda$$

- The greater the frequency, the shorter the wavelength.
- The speed in vacuum always remains the same!

# Color is determined by the wavelength of light ( $\lambda$ )



- 1 nanometer (nm) = 1 billionth of a meter  
=  $1 \times 10^{-9}$  m

What is the wavelength of microwaves produced at 2.45 GHz by a microwave oven?

- A. 2.45 nm
- B.  $8.17 \mu\text{m}$
- C. 12.2 cm
- D. 7.35 m

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B. 8.17  $\mu\text{m}$

**C. 12.2 cm**

D. 7.35 m

$$\lambda = \frac{c}{f} = \frac{3.00 \times 10^8 \text{ m/s}}{2.45 \times 10^9 \text{ Hz}}$$
$$= 0.122 \text{ m} = \boxed{12.2 \text{ cm}}$$

# Light as a Particle

- Photon = particle of light
- Energy of photon depends on its wavelength

$$\text{Energy} = h \times \text{frequency} = \frac{hc}{\text{wavelength}}$$

$$E = hf = \frac{hc}{\lambda} = \frac{1240 \text{ eV} \cdot \text{nm}}{\lambda}$$

- The longer the wavelength, the lower the energy.
- The lower the frequency, the lower the energy
- eV is a unit of energy  $1 \text{ eV} = 1.6 \times 10^{-19} \text{ J}$

What is the energy of a photon of visible light of wavelength 520 nm?

A. 645 keV

B. 2.38 eV

C. 0.419 eV

D. 520 eV

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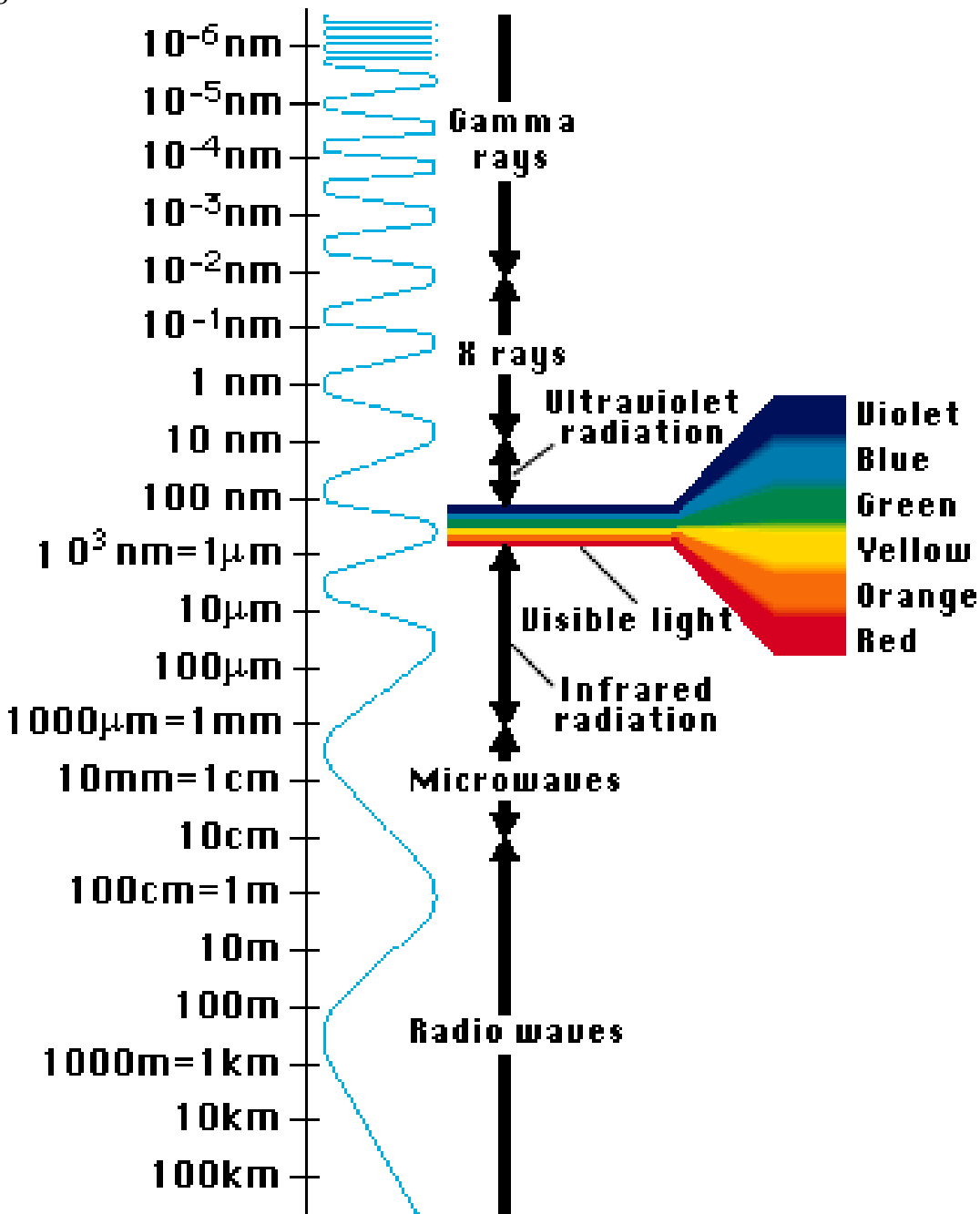
$$E = hf = \frac{hc}{\lambda}$$

$$= \frac{1240 \text{ eV} \cdot \text{nm}}{520 \text{ nm}} = \boxed{2.38 \text{ eV}}$$



# The Electromagnetic Spectrum

- Light has electric and magnetic properties so all of light is called the *electromagnetic spectrum*.
- The spectrum is divided up by wavelength
- All light, regardless of wavelength, travels at the same speed of light.

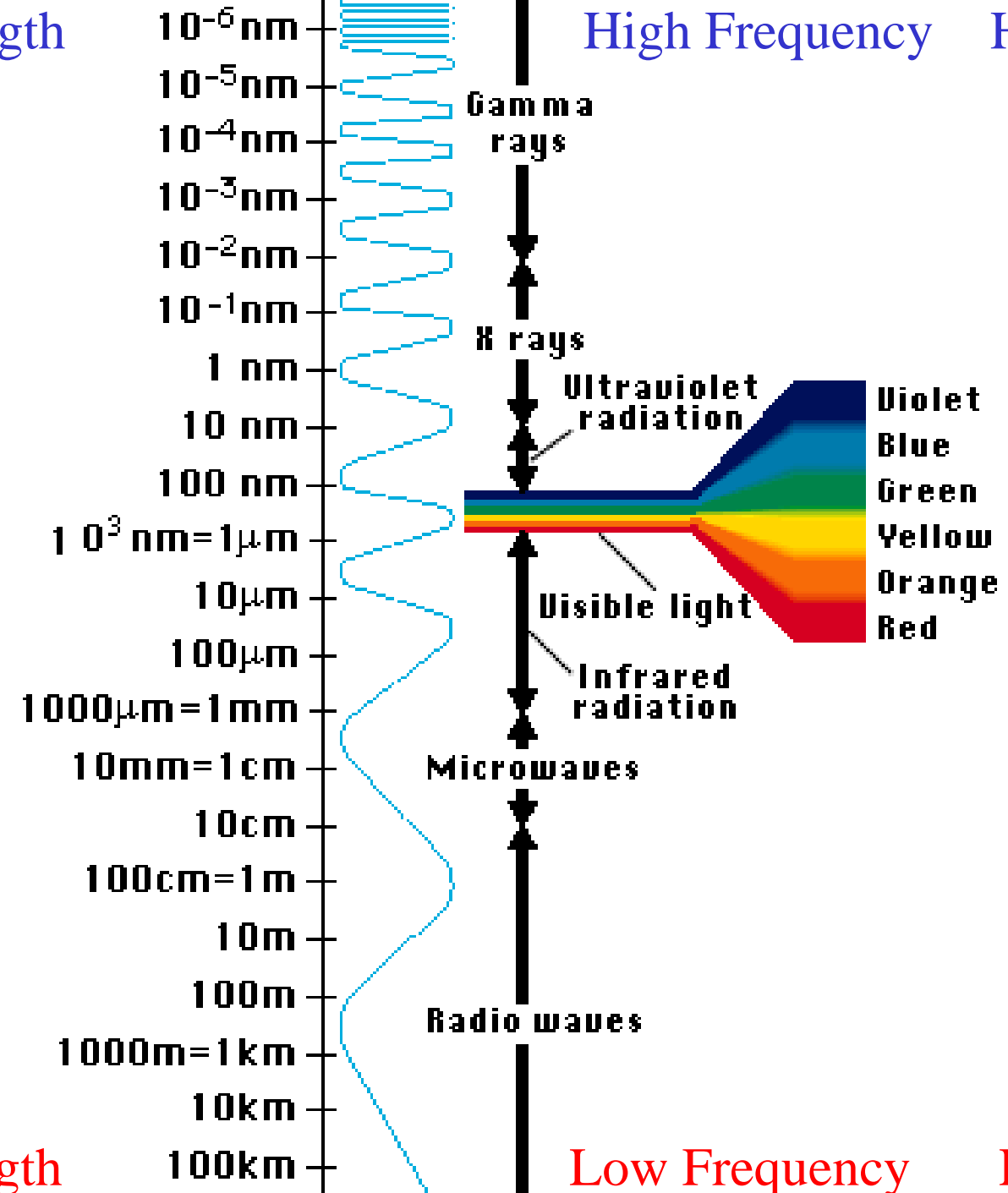


Question: What type of light has the

- Shortest wavelength?
- Longest wavelength?
- Lowest frequency?
- Highest frequency?
- Lowest Energy?
- Highest Energy?

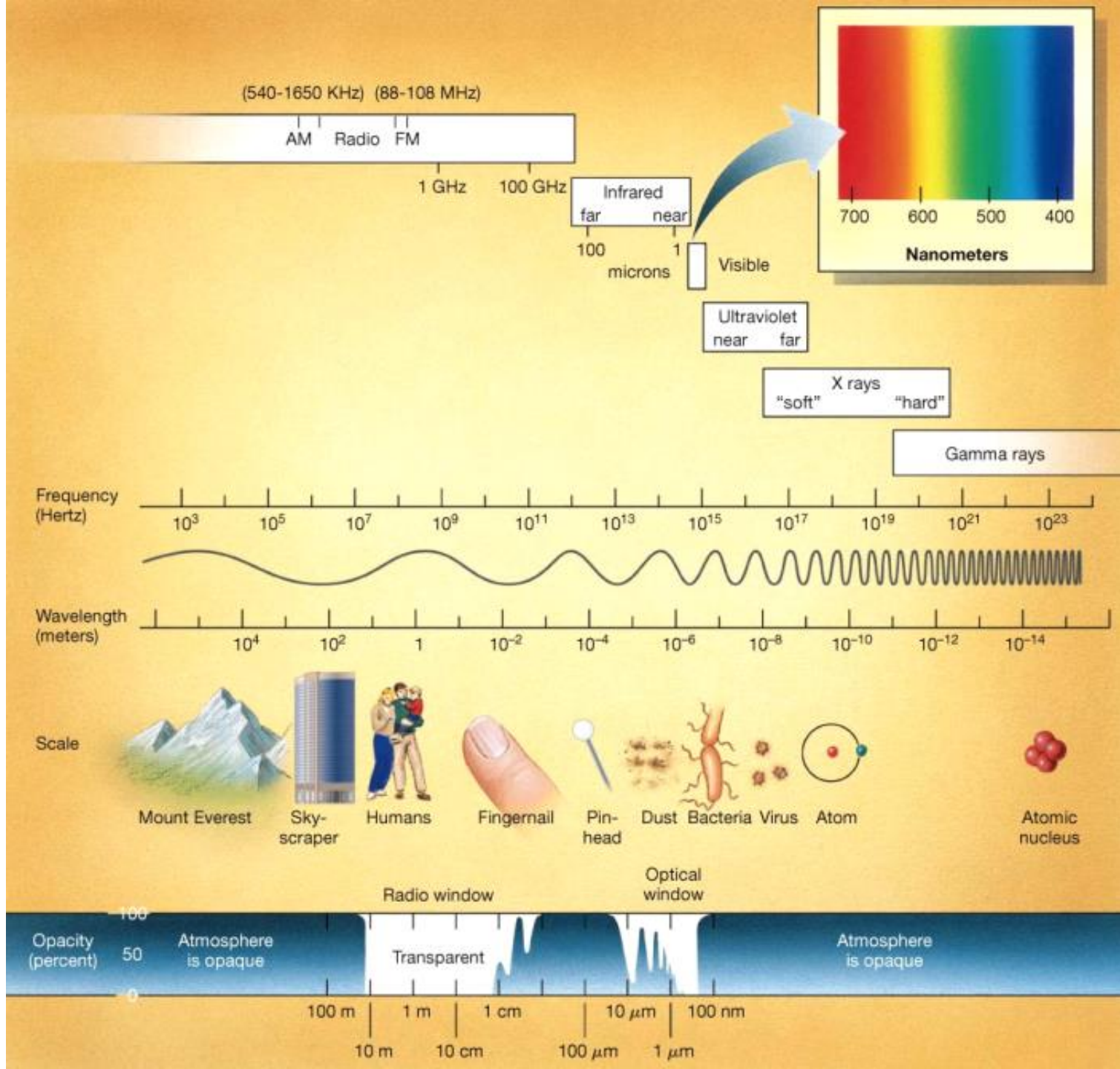
<sup>19</sup> Short Wavelength

High Frequency High Energy



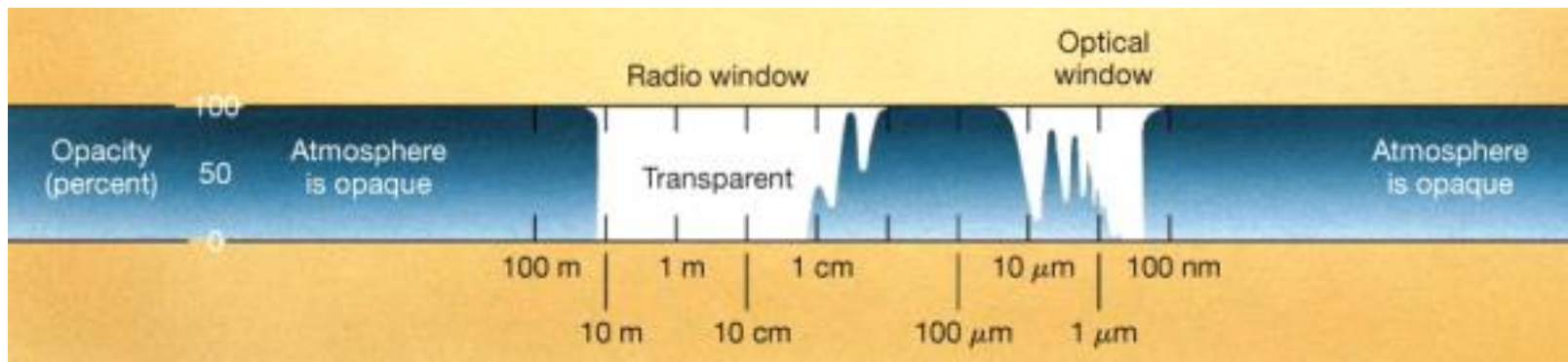
Long Wavelength

Low Frequency Low Energy



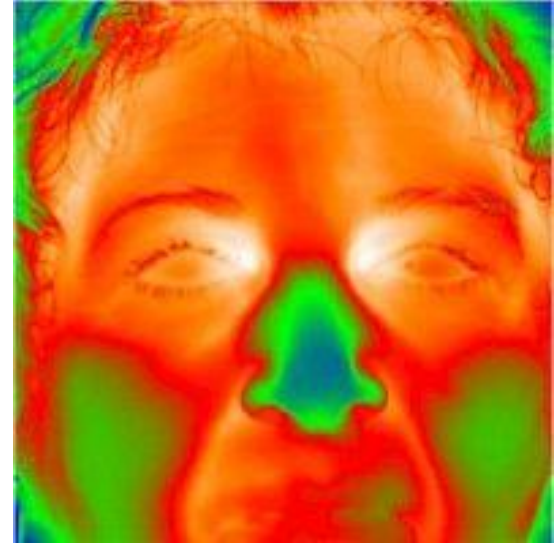
# Atmospheric Opacity

- The atmosphere (and sometimes material in outer space) blocks some wavelengths of light
- Opacity = percentage of light blocked by atmosphere
- Wavelengths where light can get through the atmosphere are called “windows”
  - Low opacity: Visible and Radio:
  - Medium opacity: Infrared and UV
  - High opacity: Gamma Rays, X-rays & some UV

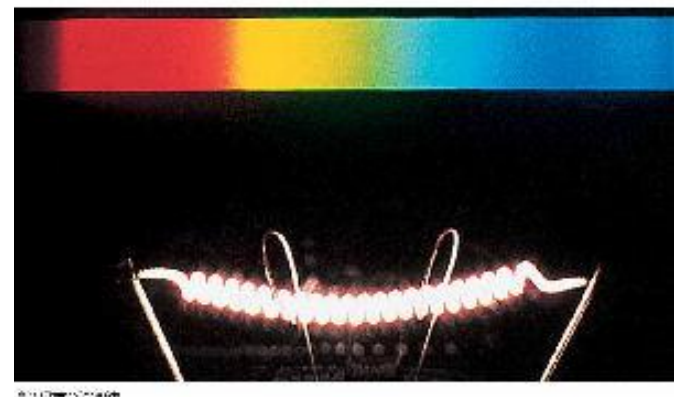
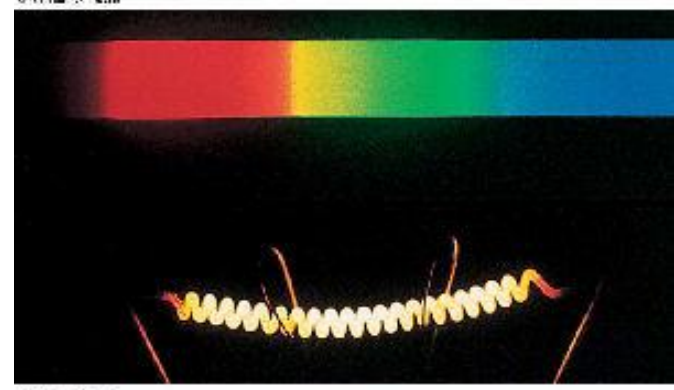
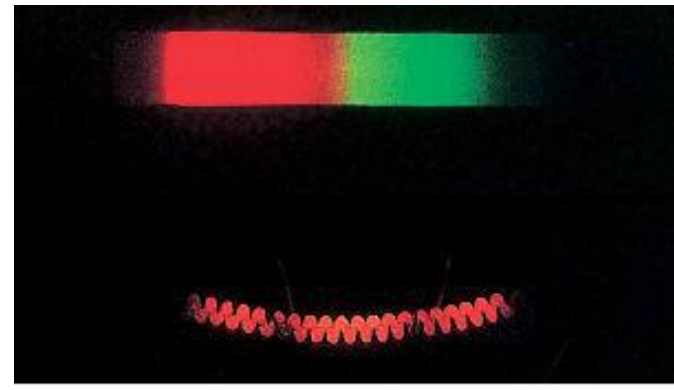
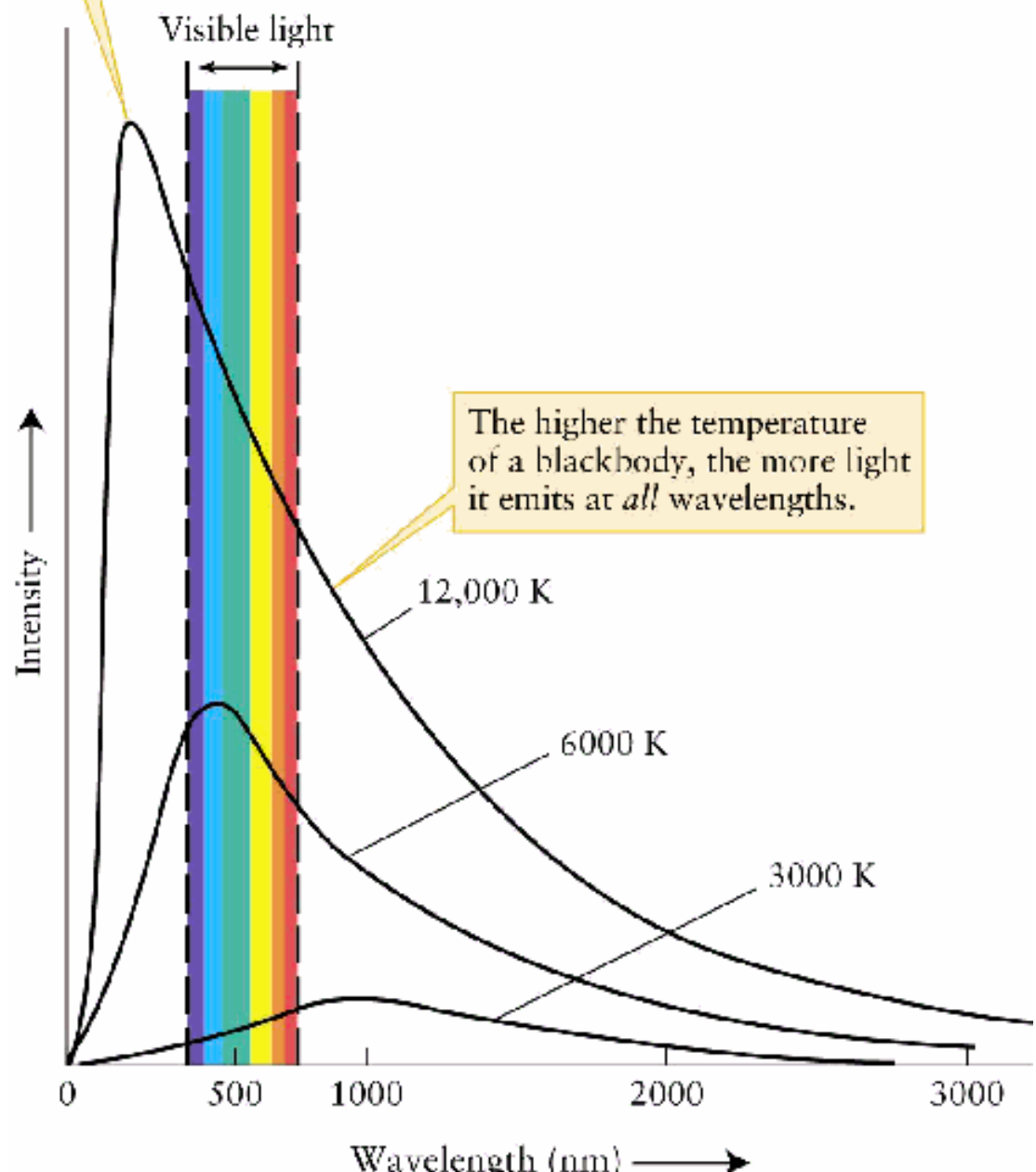


# Blackbody Radiation

- Light emitted by a solid, liquid or dense gas
- Light is emitted at all wavelengths
- Amount of light depends on temperature



The higher the temperature of a blackbody, the shorter the wavelength of maximum emission (the wavelength at which the curve peaks).



# Wien's Law

- The wavelength at which the brightness peaks is inversely proportional to the temperature

$$\lambda_{\text{peak}} = \frac{2.9 \times 10^6}{T} \quad \text{or} \quad T = \frac{2.9 \times 10^6}{\lambda_{\text{peak}}}$$

Where

$T$  is in Kelvins

$\lambda_{\text{peak}}$  is in nanometers ( $10^{-9}$  meters)

- high temperatures peak at short wavelengths
- Does not depend on size of object, only temperature



An oven burner is at  $1341^{\circ}\text{F}$  ( $1000\text{ K}$ ). At what wavelength does it emit the most radiation?

A.  $2900\text{ nm}$

B.  $345\text{ nm}$

C.  $1341\text{ nm}$

D.  $2160\text{ nm}$

An oven burner is at 1341°F (1000 K). At what wavelength does it emit the most radiation?

**A. 2900 nm**

B. 345 nm

C. 1341 nm

D. 2160 nm

$$\lambda_{\max} = \frac{2.9 \times 10^6 \text{ nm} \cdot \text{K}}{1000 \text{ K}} = \boxed{2900 \text{ nm}}$$

# Stefan-Boltzmann Law

- Blackbody spectrum [applet](#)
- The energy radiated per area per second from an object (the **Flux**) increases rapidly with temperature.

$$\text{Flux } (F) = \sigma T^4$$

$F$  = Flux (Watts/m<sup>2</sup>)

$\sigma = 5.67 \times 10^{-8} \text{ W} \cdot \text{m}^{-2} \cdot \text{K}^{-4}$

$T$  = Temperature (K)

- As the Kelvin temperature increases, the flux increases.

How much more flux is emitted by a star with an 8000 K surface temperature than one with a 6000 K surface temperature?

A.  $1.33\times$

B.  $1.07\times$

C.  $5.33\times$

D.  $3.16\times$

How much more flux is emitted by a star with an 8000 K surface temperature than one with a 6000 K surface temperature?

A.  $1.33\times$

B.  $1.07\times$

C.  $5.33\times$

**D.  $3.16\times$**

$$\frac{F_B}{F_A} = \frac{\sigma T_B^4}{\sigma T_A^4} = \frac{(8000 \text{ K})^4}{(6000 \text{ K})^4} = \boxed{3.16}$$

# Luminosity

Luminosity = Flux  $\times$  surface area

$$L = \sigma T^4 \times 4\pi r^2$$

- The total energy emitted per second (luminosity) depends on the temperature  $T$  AND size  $r$  of the object
- For the same temperature, a bigger star emits a larger total amount of energy

# Questions

- Star A is brightest at radio wavelengths.
- Star B is brightest in X-rays
  
- Which star has the higher temperature?  
A. Star A      B. Star B      C. Can't say
- Which star is emitting the most light per area?  
A. Star A      B. Star B      C. Can't say
- Which star has the highest luminosity?  
A. Star A      B. Star B      C. Can't say

# Questions

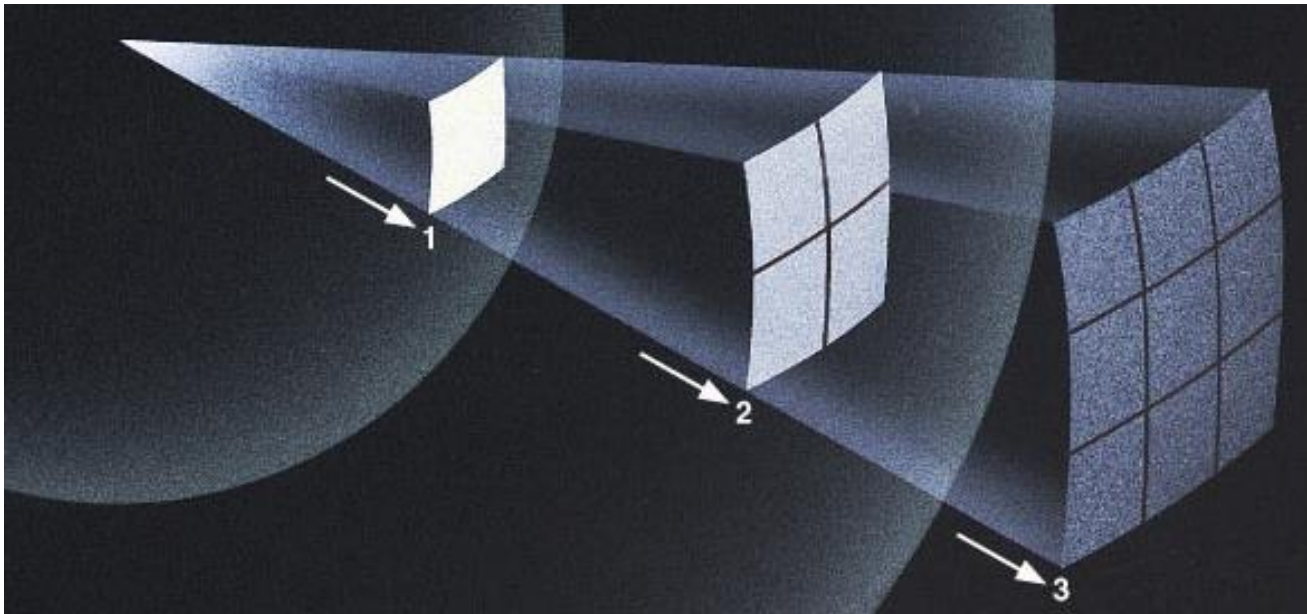
- Star B has the higher temperature because the higher the temperature, the bluer the color emitted.
- Star B is emitting the most light per area. The Stefan-Boltzmann law says the Watts/m<sup>2</sup> emitted is proportional to the temperature to the fourth power.
- We can't tell which star (A or B) is emitting the most energy in general because that depends on both size and temperature, and we only know the relative temperatures of stars A and B.



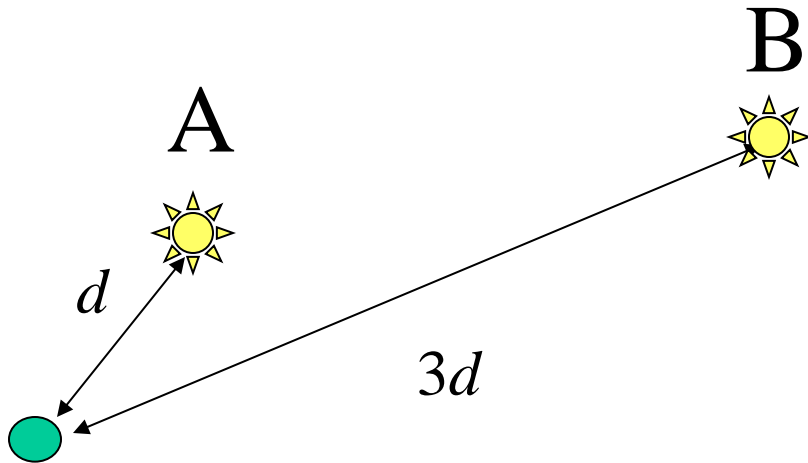
# Apparent Brightness

- The brightness an object appears to have.
- The further away the object, the dimmer it looks

$$\text{Apparent Brightness} = \frac{\text{Luminosity}}{4\pi d^2} \quad d = \text{distance}$$



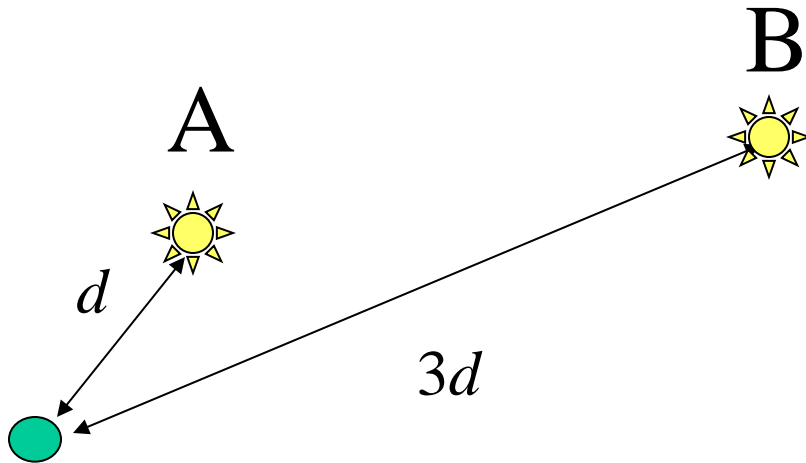
# Question



How much brighter or dimmer does Star A appear compared to Star B if both have the same luminosity?

- A. Star A is 9 times dimmer than Star B
- B. Star A is 3 times dimmer than Star B
- C. Star A is 3 times brighter than Star B
- D. Star A is 9 times brighter than Star B

# Question



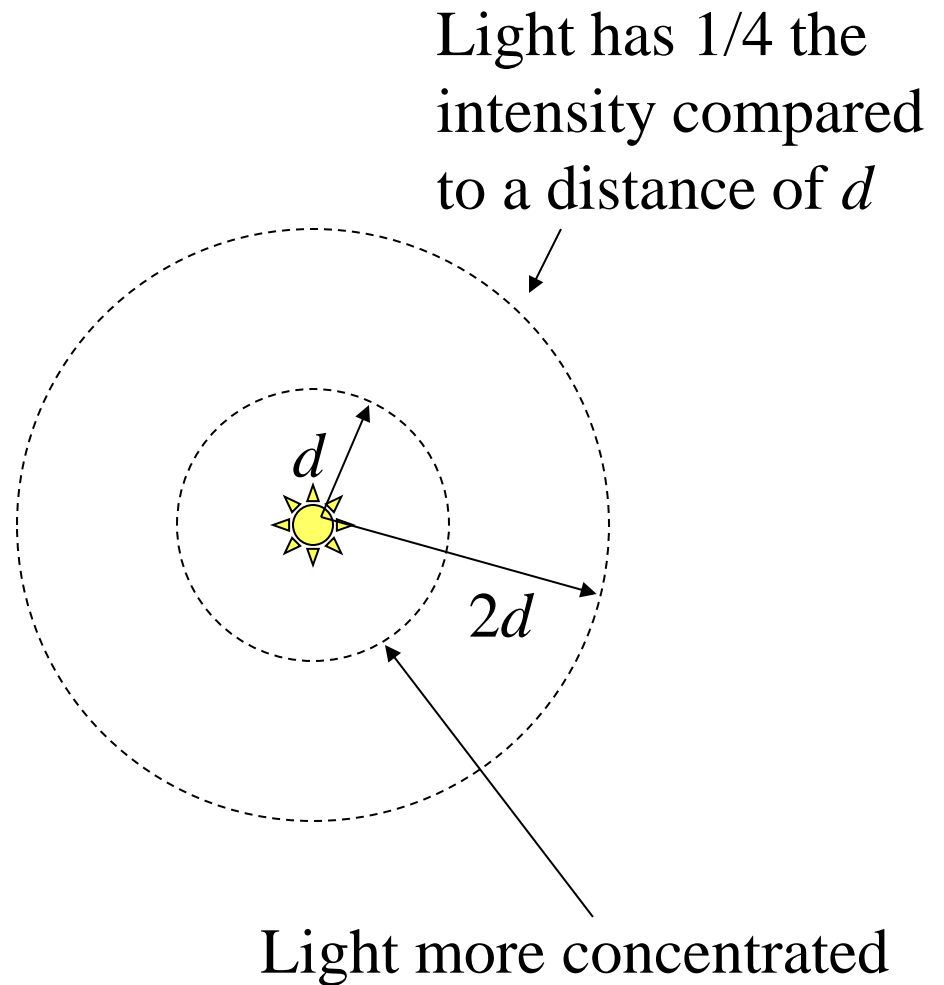
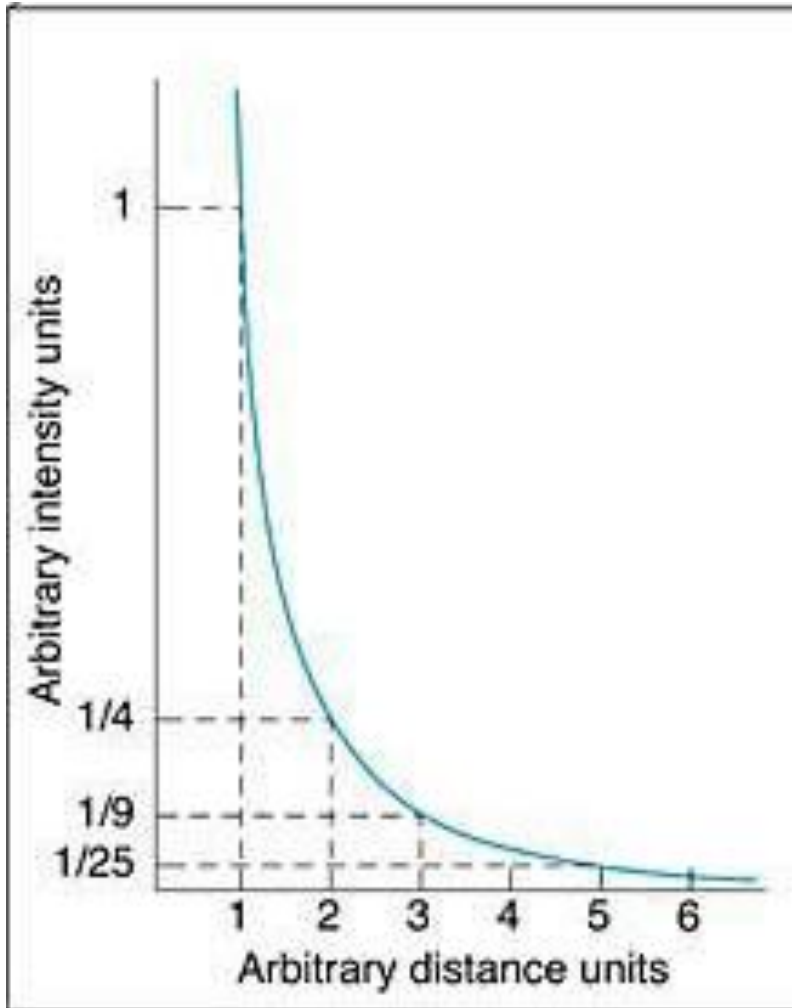
How much brighter or dimmer does Star A appear compared to Star B if both have the same luminosity?

$$B_A = \frac{I}{4\pi d^2}$$

$$B_B = \frac{I}{4\pi (3d)^2} = \frac{I}{4\pi (9d^2)} = \frac{1}{9} B_A$$

Star A appears 9 times brighter than star B.

# Inverse Square Law



# Determining Distance

- Measure apparent brightness
  - Measure intrinsic brightness (luminosity)
    - Need temperature
    - Need size of object
- $$L = 4\pi R^2 \times \sigma T^4$$
- Compare intrinsic brightness to apparent brightness to determine distance.
  - Problem: the size of objects is rarely known and is hard to measure.