

# Physics 115 Lecture 8

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Standing waves on a string

**February 8, 2018**

**Class quiz #2:** Even though you are far away from an orchestra, the tuba and the piccolo do not sound “out of step” with each other because sound waves

- A. are longitudinal.
- B. interfere constructively according to their wavelengths.
- C. diffract around obstacles.
- D. travel at the same speed for all frequencies.



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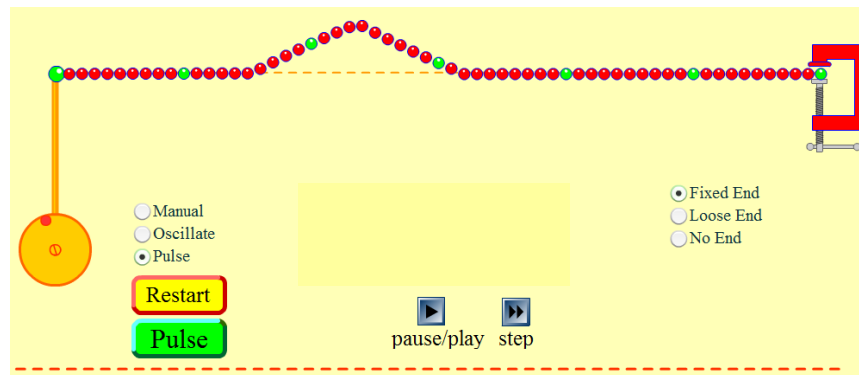
- A. are longitudinal.
- B. interfere constructively according to their wavelengths.
- C. diffract around obstacles.
- D. travel at the same speed for all frequencies.**

# Written quiz #2

- Based on homework #2
- Posted [answer key](#)

# Waves on a string

- The tension in the string produces the restoring force that allows wave propagation
- Animated [applet](#)



# Wave speed on a string

- The speed of a wave on a string depends upon the tension in the string (in Newtons) and the mass per unit length (in kg per meter)

$$v = \sqrt{\frac{F L}{m}} = \sqrt{\frac{F}{m/L}} = \sqrt{\frac{F}{\mu}}$$

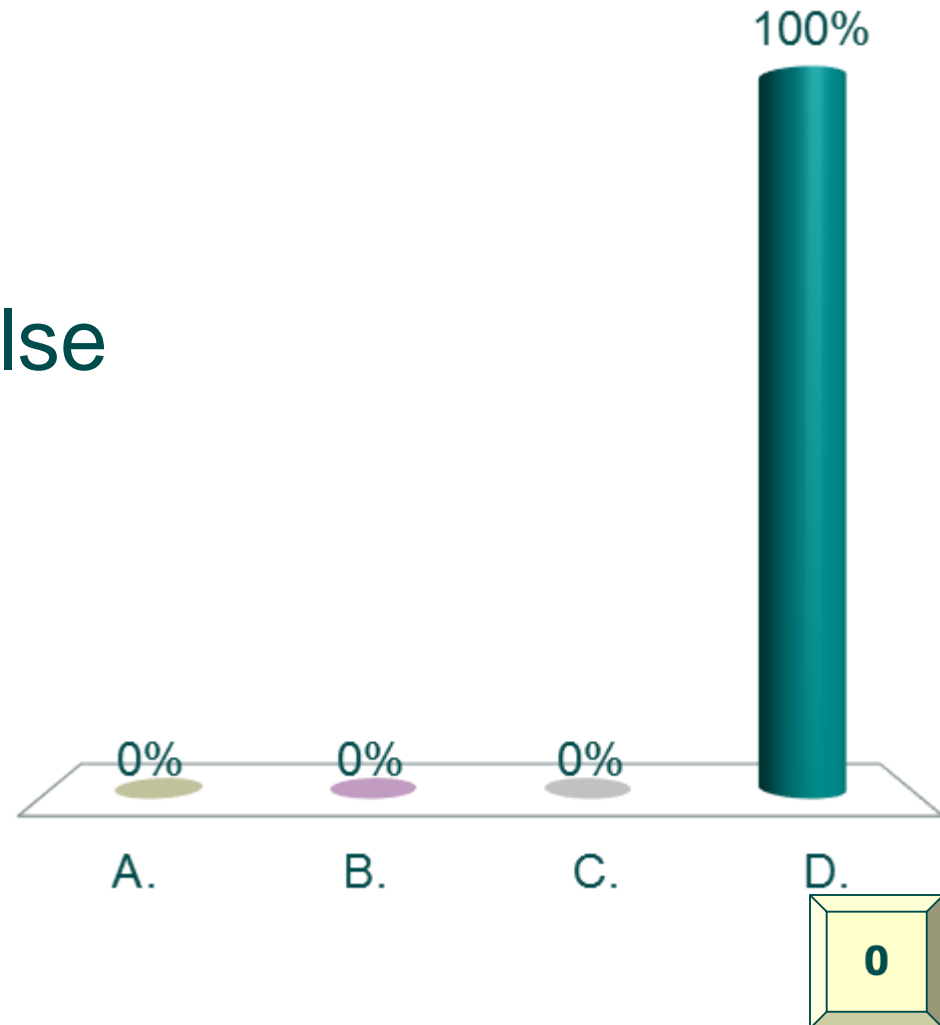
$v$  = wave speed (m/s)

$F$  = string tension (N)

$\mu$  = string mass/length (kg/m)

# Which of the following affects the speed of a wave pulse on a rope?

- A. length of the rope
- B. length of the pulse
- C. amplitude of the pulse
- D. tension in the rope

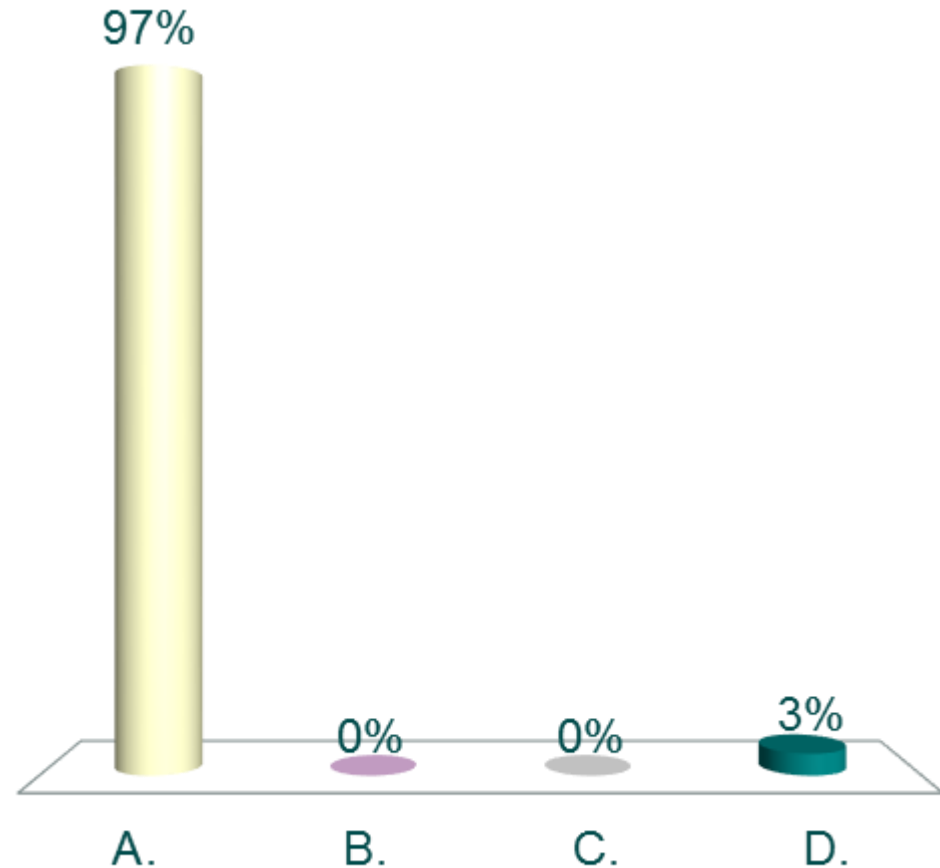


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A steel guitar string has a mass per length of  $0.0080 \text{ kg/m}$  and is under a tension of  $415 \text{ N}$ . What is the wave speed on this string?

- A.  $228 \text{ m/s}$
- B.  $343 \text{ m/s}$
- C.  $415 \text{ m/s}$
- D.  $51,900 \text{ m/s}$



A steel guitar string has a mass per length of 0.0080 kg/m and is under a tension of 415 N. What is the wave speed on this string?

A. 228 m/s       $v = \sqrt{\frac{F}{\mu}} = \sqrt{\frac{415 \text{ N}}{0.0080 \text{ kg/m}}} = \boxed{228 \text{ m/s}}$

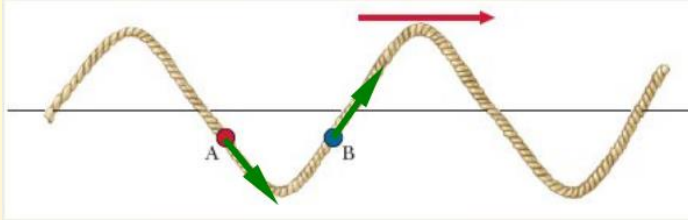
B. 343 m/s

C. 415 m/s

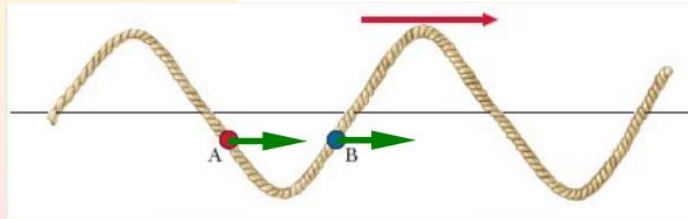
D. 51,900 m/s

A periodic wave is traveling to the right on a long, stretched rope. Draw an arrow for points A and B, indicating the direction of velocity.

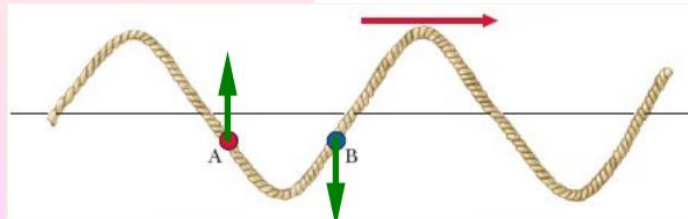
A.



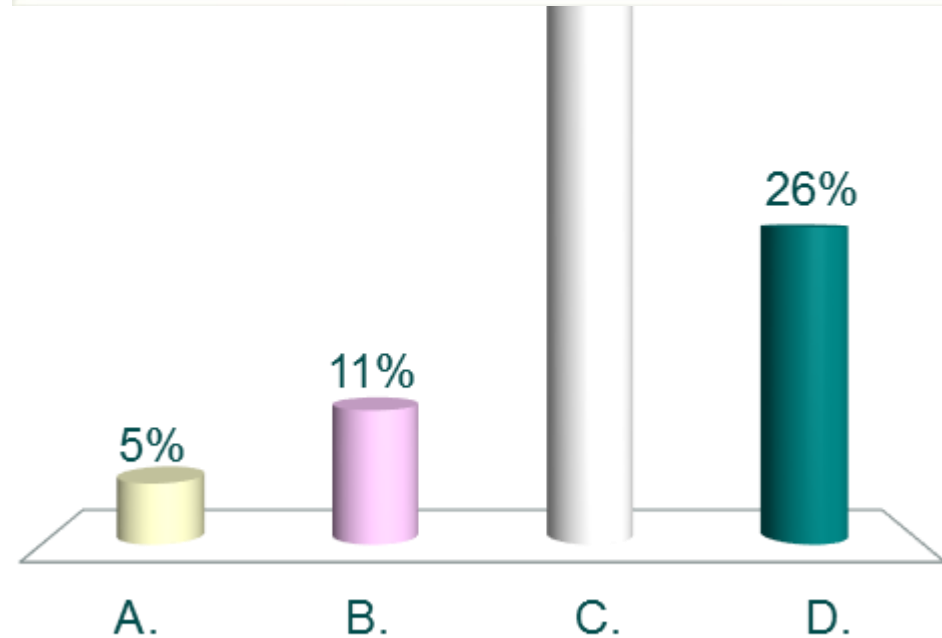
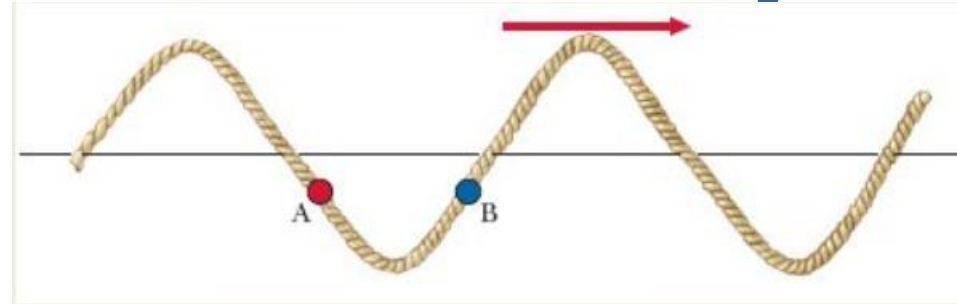
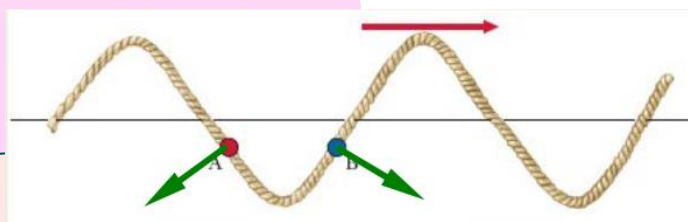
B.



C.



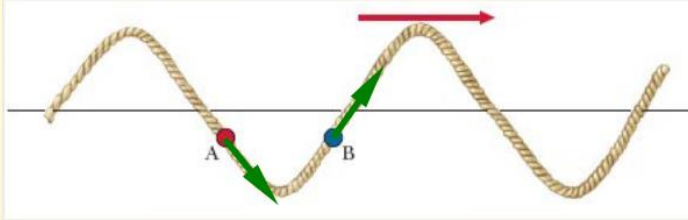
D.



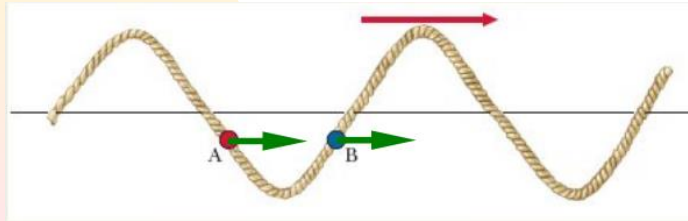
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A periodic wave is traveling to the right on a long, stretched rope. Draw an arrow for points A and B, indicating the direction of velocity.

A.

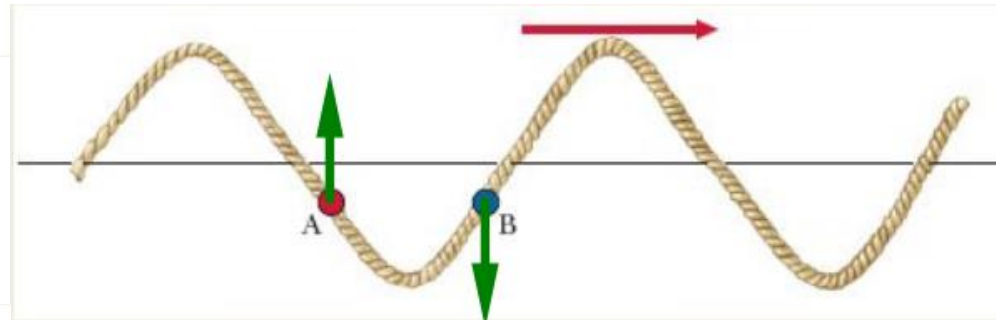
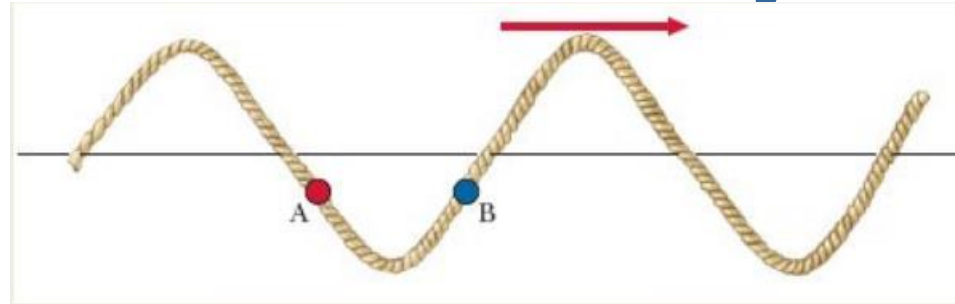
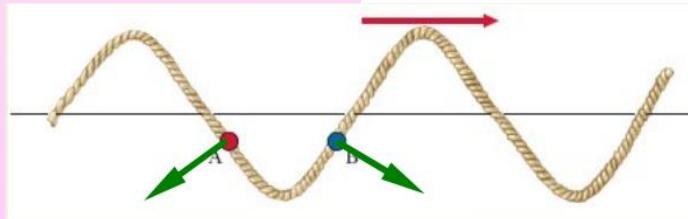


B.



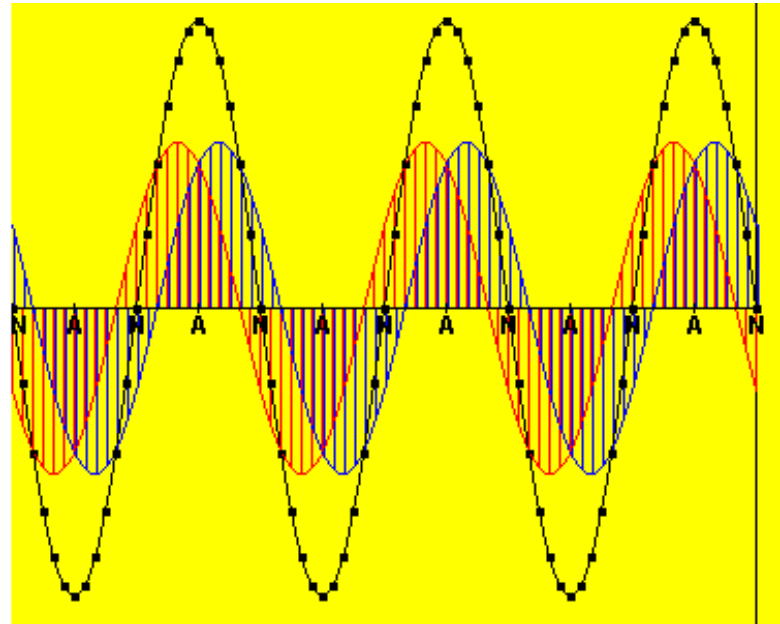
C. transverse wave

D.



# Standing waves

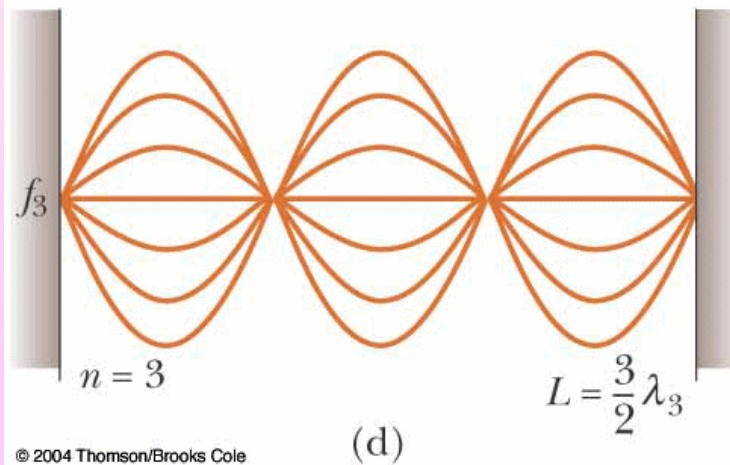
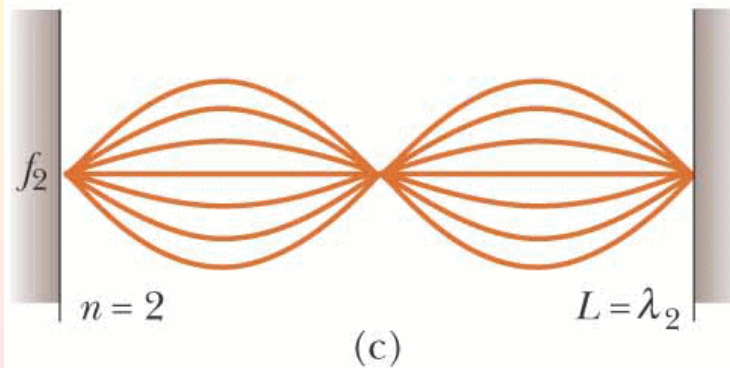
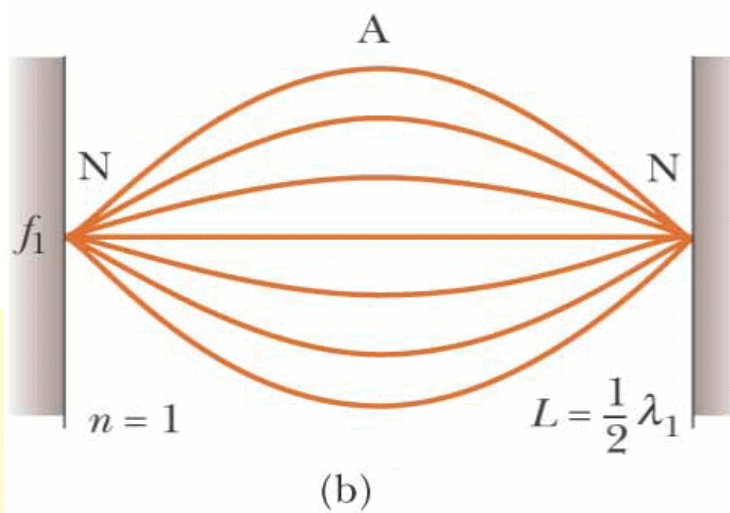
- A **standing wave** forms when two waves of the same frequency counter propagate in the same medium.
- Constructive interference produces **antinodes**
- Destructive interference produces **nodes**
- Animated [applet](#)



# String fixed at both ends

- Always a node at each end
- Harmonics
- Animated [applet](#)
- Video

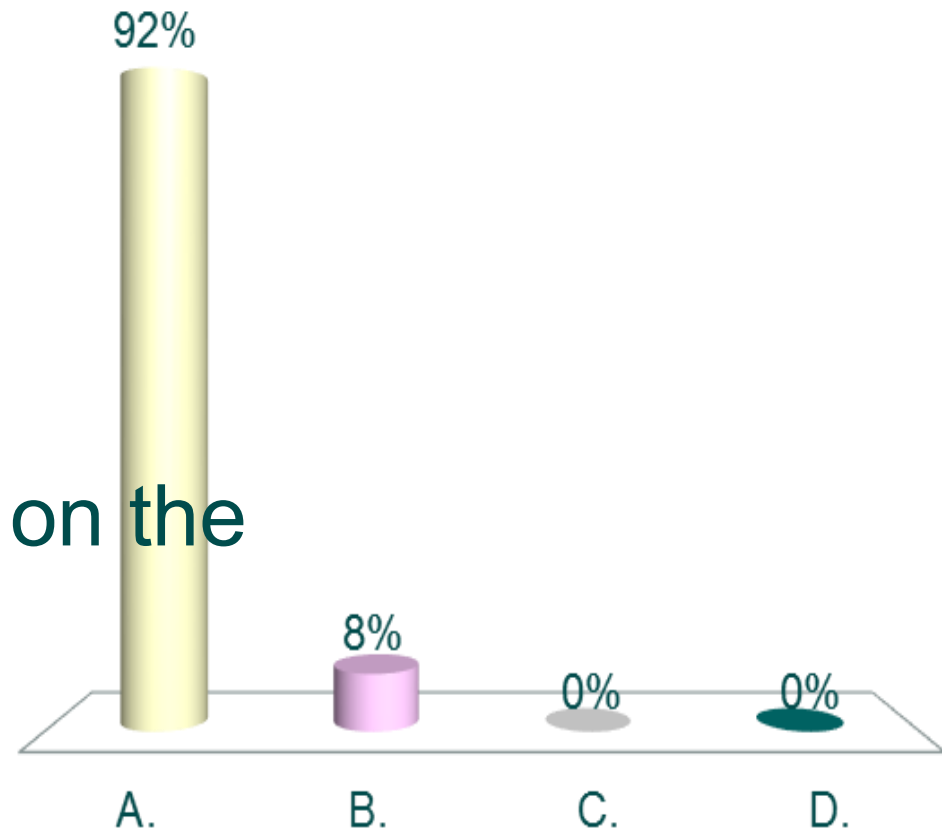




Harmonic	#antinodes	#nodes	$\lambda$	$f$
fundamental	1	2	$\frac{2L}{1}$	$f_1$
second	2	3	$c_{\text{string}} = f \lambda$	
			$\frac{2L}{2}$	$2f_1$
third	3	4	$\frac{2L}{3}$	$3f_1$

Increasing the tension in the string \_\_\_\_\_ the fundamental frequency of a string.

- A. increases
- B. decreases
- C. does not change
- D. can't say; depends on the string



Increasing the tension in the string \_\_\_\_\_ the fundamental frequency of a string.

**A. increases**

$$f = \frac{v}{\lambda} = \frac{v}{2L} = \frac{1}{2L} \sqrt{\frac{F}{\mu}}$$

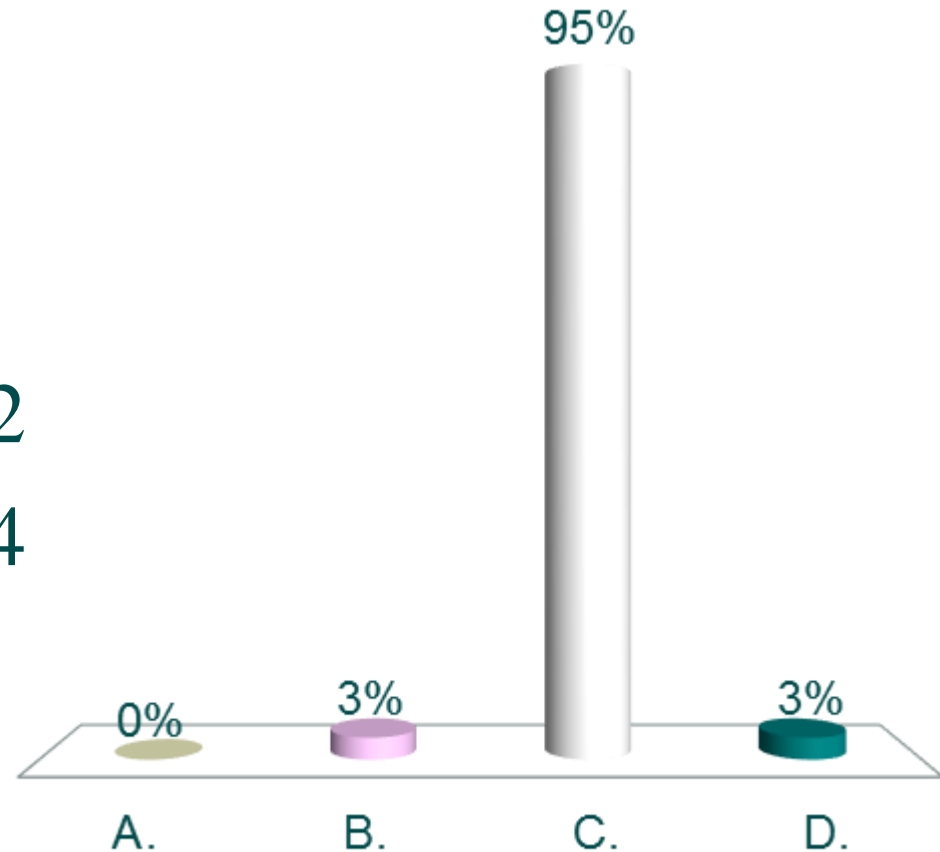
B. decreases

C. does not change

D. can't say; depends on the string

How does the wavelength of the fourth harmonic on a string that is fixed at both ends compare with the length of the string?

- A.  $\lambda = 4L$
- B.  $\lambda = 2L$
- C.  $\lambda = L / 2$
- D.  $\lambda = L / 4$



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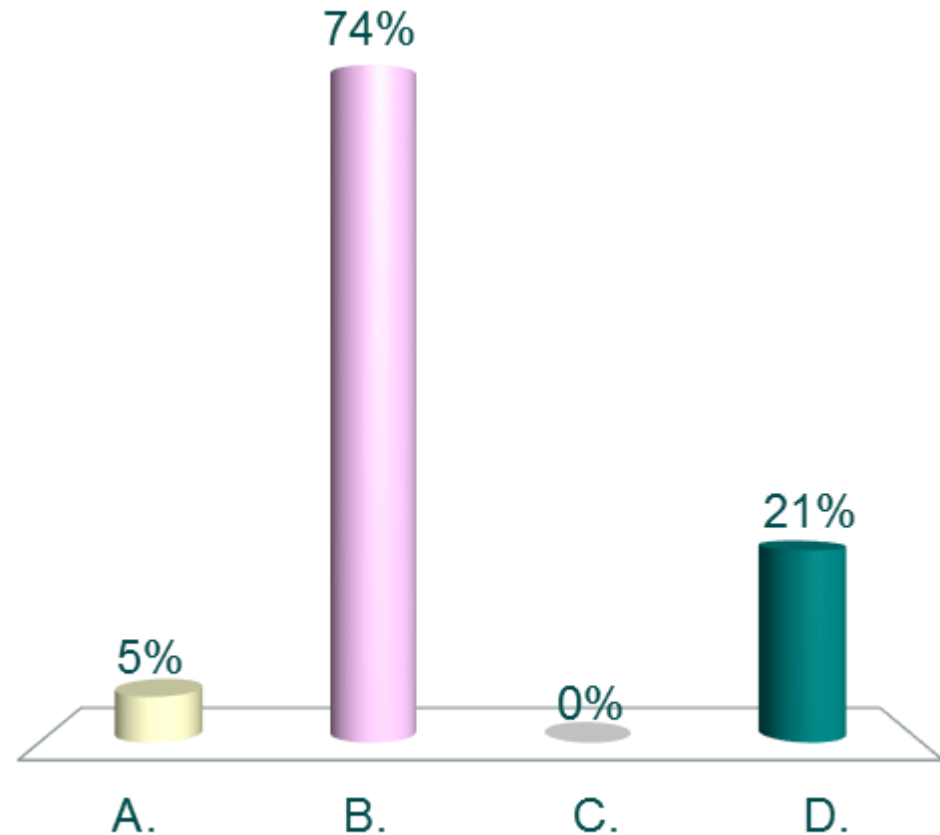
C.  $\lambda = L / 2$

D.  $\lambda = L / 4$

$$\lambda = \frac{2L}{n} = \frac{2L}{4} = \boxed{\frac{L}{2}}$$

What is the fundamental frequency of a 4-m rope that is fixed at both ends if the speed of the waves is 20 m/s?

- A. 20 Hz
- B. 5.0 Hz
- C. 4.0 Hz
- D. 2.5 Hz



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- D. **2.5 Hz**

$$f = \frac{v}{\lambda} = \frac{v}{2L} = \frac{20 \text{ m/s}}{2(4.0 \text{ m})} = \boxed{2.5 \text{ Hz}}$$